Mid-Infrared Self-Similar Pulse Compression in a Tapered Tellurite Photonic Crystal Fiber and Its Application in Supercontinuum Generation

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Mid-infrared Self-Similar Pulse Compression in a Tapered Tellurite Photonic Crystal Fiber and Its Application in Supercontinuum Generation

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Abstract—In this paper, we design a tapered tellurite photonic crystal fiber (TTPCF) with nonlinear coefficient increasing along the propagation direction, and demonstrate the mid-infrared self-similar pulse compression of the fundamental soliton in such a TTPCF. When the variation of group-velocity dispersion, higher-order dispersion, higher-order nonlinearity, and linear loss are considered, a 1 ps pulse at wavelength 2.5 μm can be compressed to 62.16 fs after a 1.63-m-long propagation, along with the negligible pedestal, compression factor Fc of 16.09, and quality factor Qc of 83.16%. Then the compressed pulse is launched into another uniform tellurite PCF designed, and highly coherent and octave-spanning supercontinuum (SC) is generated. Compared to the initial picosecond pulse, the compressed pulse has much larger tolerance of noise level for the SC generation. Our research results provide a promising solution to realize the fiber-based mid-infrared femtosecond pulse source for nonlinear photonics and spectroscopy.

Index Terms—Tapered tellurite photonic crystal fiber, self-similar pulse compression, SC generation.

I. INTRODUCTION

THE ultrashort pulses can find important applications in supercontinuum (SC) generation, frequency comb generation, biological imaging, and optical communication [1]-[4], etc. Over the past few years, several pulse compression methods were used to generate the ultrashort pulses in different nonlinear media. For adiabatic soliton compression in dispersion-decreasing fibers (DDFs) or tapered photonic crystal fibers (TPCFs) [5]-[7], large compression factor was obtained, but the fiber lengths were too long to meet the need of miniaturization. For higher-order soliton compression, large compression factor can be achieved within short nonlinear media [8]-[11], but it will generate large pedestal, which significantly limits its application in laser and telecommunication systems. In contrast, the self-similar pulse compression is an effective method for obtaining highly compressed pulse without pedestals within short nonlinear media [2], [8], [12]-[17]. In 2005, Méchin et al. obtained a compression factor over 20 with self-similar propagation of a pulse in a DDF amplifier [12]. In 2006, Méchin et al. investigated the self-similar propagation in a comblike DDF amplifier and obtained a compression factor of 12 [13]. In 2013, Li et al. theoretically demonstrated the self-similar pulse compression in nonlinear fiber Bragg gratings (NFBGs) [14] and the effect of third-order dispersion was further discussed [15]. In 2014, Li et al. reported the self-similar pulse compression in a nonlinearity increasing silica PCF taper with a length of 6.42 m [2]. The self-similar pulse compression was introduced to on-chip system with a theoretical demonstration in a chalcogenide-silicon slot waveguide taper in 2016 [8]. It should be noted that all above schemes are proposed to work in near-infrared region.

The demand of pulse compression in mid-infrared region is much stronger than that in near-infrared region due to the lack of mid-infrared ultrashort pulsed laser sources. The nonlinear phenomena including soliton self-frequency shift, SC generation, wavelength conversion, and harmonic generation have attracted much interest in recent years [18]-[20]. Among these phenomena, SC generation is the most complex nonlinear optical phenomenon [21]-[25], which is resulted from the interplay of some nonlinear effects, including self-phase modulation (SPM), modulation instability (MI), stimulated Raman scattering (SRS), and soliton dynamics [26]-[29], etc. In practice, SC generation is the enabling technique to realize self-referenced frequency comb sources. However, highly coherent octave spanning SC is hard to be obtained without femtosecond pump pulses in anomalous dispersion region due to dominant MI and uncontrollable soliton fission [21], [24].
Self-similar pulse compression will be the enabling technology to obtain highly coherent SC with a picosecond pump pulse [2].

To obtain the self-similar pulse compression in mid-infrared region, we have proposed an inversely tapered silicon ridge waveguide in 2017 [16]. Recently, a tapered tellurite PCF (TTPCF) was also investigated to realize mid-infrared self-similar pulse compression [17]. Tellurite glass has a much higher nonlinear refractive index (10-50 × 10^{-20} m^2/W) than silica. Furthermore, tellurite glass is chemically and thermally stable than other non-silica glasses [30]-[31]. Therefore, tellurite glass can be considered as suitable fiber material for investigating both the self-similar pulse compression and SC generation.

In this paper, we demonstrate the mid-infrared self-similar pulse compression of the fundamental soliton in a TTPCF designed with nonlinear coefficient increasing along the propagation direction. A 1 ps pulse at wavelength 2.5 μm is successfully compressed to 62.16 fs. Then we launch the compressed pulse into another uniform tellurite PCF designed, and highly coherent and octave-spanning SC is generated.

II. THEORETICAL MODEL

The pulse propagation in the TTPCF can be described by the generalized nonlinear Schrödinger equation (GNLSE) as [2], [24], [32]

\[
\frac{\partial A}{\partial z} + \frac{\alpha_0}{2} A - \sum_{m=2}^{\infty} \frac{i^{m+1} \beta_m(z)}{m!} \frac{\partial^m A}{\partial t^m} = i\gamma(z) \left[ 1 + \frac{\tau_{\text{shock}}}{\tau_{\text{diff}}} \right] \left( A(z,t) \int_0^t R(t') \left| A(z,t-t') \right|^2 dt' \right),
\]

where \(A(z,t)\) represents the slowly varying envelope, \(\alpha_0\) is the linear loss, \(\beta_m(z)\) is the \(m\)-order dispersion coefficient at propagation distance \(z\) and calculated from Taylor expansion of the propagation constant \(\beta(\omega)\) at a specific wavelength. \(\gamma(z)\) is the Kerr nonlinear coefficient, which can be calculated by integration over the whole cross-section of the tellurite PCF as [12], [33]

\[
\gamma = \frac{2\pi}{\lambda} \int \frac{n_2(x,y) |F(x,y)|^4 \, dx \, dy}{\iint |F(x,y)|^2 \, dx \, dy}.
\]

where \(n_2(x, y)\) is nonlinear refractive index and \(F(x, y)\) represents the distribution of the electric field. Nonlinear dispersion \(\tau_{\text{shock}} = \gamma_1(\omega_0) \gamma(\omega_0)\) corresponds to the effect of self-steepening (SS), where \(\gamma_1(\omega) = d\gamma(\omega)/d\omega\) and \(\omega_0\) is the central angular frequency. \(R(t)\) denotes the nonlinear response function which includes the Kerr and delayed Raman responses.

As reported in Refs [34], [35], the self-similar solutions can be found in parameter-varying nonlinear Schrödinger equation (NLSE)

\[
i \frac{\partial A}{\partial z} - \frac{\beta_2(z)}{2} \frac{\partial^2 A}{\partial t^2} + \gamma(z) |A|^2 A = 0,
\]

When the dispersion profile \(\beta_2(z)\) is a constant and \(\gamma(z)\) varies along the TTPCF as

\[
\gamma(z) = \frac{\gamma(0)}{1 - \sigma z},
\]

where \(\sigma = \beta_2(0)\xi\) and \(\xi\) represents the initial chirp factor of the incident pulse. By taking Eq. (4) into Eq. (3), we can obtain a group of analytic self-similar solutions of Eq. (3) as [35]

\[
A(t,z) = \left( \frac{P_0}{1 - \sigma z} \right)^{1/2} \text{sech} \left( \frac{t-t_0}{T_0(1-\sigma z)} \right) \exp \left( \frac{i \xi \epsilon(t-t_0)^2}{2(1-\sigma z)} \right),
\]

where the initial pulse peak power \(P_0 = |\beta_2(0)| |\gamma(0)| T_0^2\) is chosen to ensure the fundamental soliton propagation. \(T_0\) is the initial pulse width, and \(t_0\) is the temporal position of the pulse peak. From Eq. (5), the pulse width and peak power will change along \(z\) when \(\sigma z < 1\), respectively. Moreover, they vary along \(z\) as [2], [35]

\[
T(z) = T(0)(1-\sigma z), \quad P(z) = \frac{P(0)}{1-\sigma z}.
\]

III. DESIGN OF THE TTPCF

In order to satisfy the self-similar compression condition, we design a TTPCF, which can be fabricated with tellurite glass (75TeO2-20ZnO-5Na2O mol. %), TZN, \(n_2 = 1.7 \times 10^{-19} \text{m}^2/\text{W}\) [36]-[38]. Fig. 1(a) shows the cross-section of the TTPCF. From Fig. 1(a), five rings of air-holes are arranged in a triangular lattice. At the input end, the hole to hole pitch \(A\) is chosen as 40 μm, and air-hole diameter \(d = 0.4A\) to ensure the single-mode propagation [39]. Fig. 1(b) shows the relationship between \(A\) and \(z\). From Fig. 1(b), \(A\) gradually reduces as \(z\) increases. At the output end, \(A\) is reduced to 5.82 μm after a 1.63-m-long propagation. Such a TTPCF with the length of 1.63 m can be drawn in fiber tower which have tapered a much longer length [7] rather than tapering machine. The inset of Fig. 1(b) shows a typical electrical field distribution calculated at wavelength 2.5 μm for \(A = 20 \mu m\).

![Fig. 1. (a) Cross-section of the TTPCF designed. (b) The relationship between the hole to hole pitch \(A\) and propagation distance \(z\), the inset showing the typical electrical field distribution calculated at wavelength 2.5 μm for \(A = 20 \mu m\).](image-url)
to the change of $\gamma$, the variation of $\beta_2$ can be negligible. The main reason is considered that for such a large mode area PCF, the light field is well confined in the core region and the material dispersion play an important role, so the waveguide dispersion induced by the variation of $\alpha$ has little influence on $\beta_2$. In contrast, $\gamma$ varies evidently due to the change of effective mode area. According to Fig. 1(b), we can obtain the relationships between $\beta_2$ and $\gamma$ and $z$, as shown in Fig. 2(c). At the output end of the TTPCF, the values of $\beta_2$ and $\gamma$ are -148.73 ps$^2$/km and 8.82 W$^{-1}$km$^{-1}$, respectively.

IV. SIMULATION RESULTS AND DISCUSSION

In this work, a hyperbolic secant pulse with full width at half maximum (FWHM) of 1 ps is launched into the TTPCF. The chirp coefficient $\xi$ is -6.5 ps$^2$. In order to keep the fundamental soliton, the input peak power is chosen as 1.4 kW. The compression factor $F_c$ and quality factor $Q_c$ are used to evaluate the compression performance, which are respectively defined as [8], [40]

$$F_c = \frac{\text{FWHM}_{\text{in}}}{\text{FWHM}_{\text{out}}} \times 100\%,$$

where $\text{FWHM}_{\text{in}}$ and $\text{FWHM}_{\text{out}}$ represent the input and output FWHM, respectively. $P_{\text{in}}$ and $P_{\text{out}}$ are the peak powers of the input and output pulses. In the ideal case, the variation of the group-velocity dispersion $\beta(z)$, higher-order dispersion (HOD), higher-order nonlinearity (HON), and $\omega_0$ are neglected. The evolutions of the temporal and spectral profiles are shown in Figs. 3(a) and 3(b), respectively. It can be seen that both the temporal and spectral profiles are monotonous and symmetric. The peak power of the output pulse can be up to 60 kW, and the calculated $F_c = 44.1$ and $Q_c = 1$, respectively.

In the realistic case, the variation of $\beta(z)$, HOD, HON, and $\omega_0$ cannot be neglected, e.g. the case of GNLSE. Figs. 4(a) and 4(b) show the temporal and spectral profiles along the TTPCF when they are considered. The Raman response function of TZN is described as [41]

$$h_n(t) = \sum_{i=1}^{7} A_i \exp(-\gamma_i t) \exp(-\Gamma_i^2 t^2/4) \sin(\omega_i t),$$

where $\gamma_i$, $\Gamma_i$, and $\omega_{i,j}$ represent the Lorentzian, Gaussian FWHM, and Gaussian component position. $\omega_0$ is chosen as 0.35 dB/m [38], [41]. From Fig. 4(a), the pulse width is reduced as the frequency shift and peak power $P_0$ increase. From Fig. 4(b), the corresponding spectrum intensity is reduced during the spectral broadening, and a small peak appears at the output end. By comparing Fig. 3 and Fig. 4, it can be found that the peak power of the output pulse is much lower and the corresponding FWHM is wider. A 1 ps input pulse can be compressed to 62.16 fs, and the peak power of the output pulse can be up to 18.78 kW, corresponding to $F_c = 16.09$ and $Q_c = 83.16\%$.

![Fig. 2. (a) The calculated group-velocity dispersion $\beta_i$ versus wavelength for $A_i$ varying from 2.35 to 2.65 μm. (b) and (c) present $\beta_i$ (black solid line) and nonlinear coefficient $\gamma$ (blue dash dot line) at wavelength 2.5 μm versus $A_i$ and $z$, respectively.](image)

![Fig. 3. (a) Temporal and (b) spectral evolutions along the 1.63-m-long TTPCF for the ideal case (NLSE).](image)

![Fig. 4. (a) Temporal and (b) spectral evolutions along the 1.63-m-long TTPCF for the realistic case (GNLSE).](image)

![Fig. 5. (a) The peak power $P_0$ (blue solid line) and FWHM (black dashed line), and (b) $L_D$ (red dashed line) and $L_{NL}$ (blue solid line) as functions of $z$.](image)
From Fig. 3(a) and Fig. 4(a), it can be seen that FWHM_{out} in the realistic case is much wider than that of the ideal case since the self-similar pulse compression is deviated when variation of β(z), HOD, HON, and \( \alpha_0 \) are considered. To investigate the influence of each effect to perturb the self-similar pulse compression, we compare the output temporal and spectral profiles by considering them one by one. Figs. 6(a) and 6(b) show the temporal and spectral waveforms when variation of β(z), HOD, HON, and \( \alpha_0 \) are respectively considered. The ideal case is also given for comparison. From Figs. 6(a) and 6(b), when only variation of β(z) is considered, the output pulse width is larger than that of the ideal case because the self-similar condition cannot be satisfied. If we only consider the HOD, the output spectrum shows asymmetry, along with a small peak, and the temporal waveform is delayed ~40 fs. When only considering the HON, the output spectrum is red-shifted about 110 nm due to intra-pulse Raman scattering. Moreover, the SS also causes asymmetry in both temporal and spectral waveforms. When only \( \alpha_0 \) is considered, the peak power of the output pulse is decreased, and the pulse width keeps almost unchanged. When taking all effects into account, a 62.16 fs pulse with negligible pedestal can be obtained.

From the above results, self-similar pulse compression can be well achieved in such a TTPCF without considering the random noise. However, the random noise is unavoidable in practice. In the following, we will investigate its impact. The random noise is defined as \( \sigma = \eta \bar{N} \exp(i2\pi \bar{U}) \), where the noise amplitude \( \eta = 0.01 \), \( \bar{N} \) is a normally distributed random variable with the mean value of 0 and standard deviation of 1, and \( \bar{U} \) is an uniformly distributed variable between 0 and 1 [2], [23]. Fig. 7(a) shows the input pulse with random noise level \( \eta = 0.01 \). From Fig. 7(a), many burrs appear on the whole temporal profile. After the propagation of 1.63 m, the burrs are reduced greatly, as shown in Fig. 7(b). Moreover, the pulse width is almost the same as that without the random noise. It can be concluded that the self-similar pulse compression has little sensitivity on the random noise.

![Fig. 6. (a) Temporal and (b) spectral profiles for the ideal case (NLSE, red dash line), β(z) (green dash dot line), HOD (blue dash dot dot line), HON (magenta short dash line), \( \alpha_0 \) (cyan short dash dot line) and all effects (purple solid line).](image)

![Fig. 7. (a) The 1 ps input pulse with the random noise, and (b) output pulse after self-similar compression with (red dashed line) and without (black solid line) random noise.](image)

### V. HIGHLY COHERENT AND OCTAVE-SPANNING SC GENERATION

By using the shorter pulses (< 100 fs) as the input pump, the coherence of the SC can be evidently enhanced [2], [19], [20]. In the following, we will launch the self-similarly compressed pulse into another tellurite PCF designed for the SC generation.

Fig. 8(a) shows the cross-section of the uniform tellurite PCF designed. The fiber materials in the core and cladding region are chosen as TLWMN (TeO_{2}-Li_{2}O-WO_{3}-MoO_{3}-Nb_{2}O_{5}) and TZN (TeO_{2}-ZnO-Na_{2}O-La_{2}O_{3}) [19], [42], respectively. For the TLWMN, \( n_2 = 5.9 \times 10^{-19} \text{m}^2/\text{W} \), and the Raman response function can be described as [19]

\[
h_r(t) = \frac{t_1^2 + t_2^2}{t_1^2 t_2^2} \exp\left(-\frac{t}{\tau_2}\right) \sin\left(\frac{t}{\tau_1}\right),
\]

where Raman response time \( \tau_1 = 7.4413 \) fs and \( \tau_2 = 46.9323 \) fs, respectively. The core diameter \( D \) of the tellurite PCF is 3.5 μm, and hole to hole pitch \( \Lambda \) is 5 μm. The first-ring hole diameter \( d_1 \) and second to fourth-rings hole diameter \( d_2 \) are chosen as 0.3\( \Lambda \) and 0.4\( \Lambda \), respectively. The calculated curves of the group-velocity dispersion \( \gamma \) and \( C \) are shown in Fig. 8(b), where the inset shows the zoom-in dispersion curve in the wavelength range from 2.2 to 3.2 μm. From the inset of Fig. 8(b), the dispersion is very flat, which is beneficial for the SC generation. The value of \( \gamma \) is ~140.9 W^{-2}km^{-1} at wavelength 2.5 μm.

<table>
<thead>
<tr>
<th>Effects Considered</th>
<th>( F_r )</th>
<th>( Q_c )</th>
</tr>
</thead>
<tbody>
<tr>
<td>NLSE</td>
<td>44.10</td>
<td>100%</td>
</tr>
<tr>
<td>( \beta(z) )</td>
<td>26.93</td>
<td>100%</td>
</tr>
<tr>
<td>HOD</td>
<td>45.17</td>
<td>97.27%</td>
</tr>
<tr>
<td>HON</td>
<td>25.46</td>
<td>93.30%</td>
</tr>
<tr>
<td>Loss</td>
<td>37.41</td>
<td>87.54%</td>
</tr>
<tr>
<td>All above</td>
<td>16.09</td>
<td>83.16%</td>
</tr>
</tbody>
</table>
When a 1 ps pulse at wavelength 2.5 μm with the peak power of 1.4 kW is launched into the tellurite PCF, the evolutions of the temporal and spectral profiles within a 0.55-m long propagation are shown in Fig. 9(a). From Fig. 9(a), the higher-order soliton occurs to split and the optical spectrum is rapidly broadened after propagation of ~0.35 m. The top figures in Fig. 9(a) show the output temporal and spectral profiles. We note that the output temporal profile has split into several pulses, and the fluctuation in output spectrum is obvious because of the MI and soliton fission, which introduce the noise and degrade the coherence of the SC.

By using the self-similarly compressed pulse of 62.16 fs with the peak power of 15.21 kW as the pump, the coupling problem between the TTPCF and the tellurite PCF can be solved with the method of fused biconical tapering [43]. In this case, the evolutions of the temporal and spectral profiles within a 5.5-cm long propagation are shown in Fig. 9(b). It can be seen from the top figures of Figs. 9(a) and 9(b) that for the 1 ps and 62.16 fs pulses, the output spectral widths are approximately the same, but the fiber length used is only tenth for the 62.16 fs pulse. Moreover, although soliton fission is observed during the propagation, the output spectrum is much smoother and flatter than that generated with the 1 ps pulse. Compared with Fig. 9(a), the temporal and spectral profiles are not sensitive to the noise seed since the MI is suppressed by the self-similar compression, and the coherence of the SC is greatly enhanced.

To compare the coherence of the SCs generated with the 1 ps and 62.16 fs pulses, we use the degree of coherence $g_{12}^{(1)}$ to characterize the output spectra of the SC which is defined as [34, 44]-[45]

$$g_{12}^{(1)}(\lambda, t_1 - t_2) = \left| \frac{\langle A_1(\lambda, t_1) A_2^*(\lambda, t_2) \rangle}{\langle |A_1(\lambda, t_1)|^2 \rangle \langle |A_2(\lambda, t_2)|^2 \rangle} \right|,$$  

where $A(\lambda, t)$ represents the signal amplitude in the frequency domain. The angular brackets represent the ensemble average over independently pairs of spectra, i.e. $A_1(\lambda, t)$ and $A_2(\lambda, t)$, which are obtained from 50 shot-to-shot simulations with different random noises at wavelength $\lambda$. The random noise is defined above and we take $t_1 - t_2 = 0$. Moreover, it is necessary to weight $g_{12}^{(1)}$ in the whole spectrum as [2], [45]

$$R = \frac{\int_0^\infty g_{12}^{(1)}(\lambda, t_1 - t_2) \cdot P(\lambda, t_1 - t_2) d\lambda}{\int_0^\infty P(\lambda, t_1 - t_2) d\lambda},$$

where $P(\lambda, t) = \langle |A(\lambda, t)|^2 \rangle$. In order to compare the slight difference of the coherence when they are close to 1, another variable $K$ is introduced and defined as [2]

$$K = \lg(1 - R).$$

We firstly investigate the coherence of the SC generated with 1 ps pump pulse. The input peak power and propagation length are chosen as 1.4 kW and 0.55 m, respectively. The spectra of the SC and $g_{12}^{(1)}$ calculated with the 50 shots with random noise are shown in Figs. 10(a) and 10(c). The grey plots represent the overlapped spectra of the 50 shots with random noise level $\eta = 1 \times 10^{-3}$. From Fig. 10(a), the differences between the 50 shots are very large, so the corresponding $g_{12}^{(1)}$ is < 0.5 over the considered wavelength range, as shown in Fig. 10(c). In contrast, when the pulse of 62.16 fs with peak power of 15.21 kW is propagated inside a 5.5-cm long fiber, the overlapped spectra of the 50 shots with $\eta = 1 \times 10^{-3}$ represented by the grey plot are shown in Fig. 10(b), where the averaged spectrum of each 50 shots is plotted by the blue line. From Fig. 10(b), the spectral fluctuation decreases greatly. From Fig. 10(d), the corresponding $g_{12}^{(1)}$ is very close to 1 in the wavelength range of 1.5 to 4.5 μm. By comparing Fig. 10(c) and Fig. 10(d), it is concluded that highly coherent and octave-spanning SC can be generated with compressed pulse.

In order to quantitatively compare the coherence of the SC
generated with the 1 ps and 62.16 fs pulses, we calculate the weighted degree $R$ for different $\log(\eta)$ in the whole spectra, as shown in Fig. 11(a). For the 1 ps pulse, $R$ is decreased with the increase of $\log(\eta)$ and no more than 0.3 for all $\log(\eta)$ values. When $\log(\eta) = -9$, $R = 0.26$, it can be drawn from the statistics that a very faint noise will seriously affect the output spectra. For compressed pulse of 62.16 fs, $R$ is close to 1 when $\log(\eta) \leq -3$. As $\log(\eta)$ increases from -3 to -1, $R$ drops quickly from 1 to 0.18. Especially, $R$ begins to drop to be less than 0.5 when $\log(\eta) = -1.6 (\eta = 2.5 \times 10^{-2})$. In Fig. 11(b), $K$ is also plotted since $R$ is very close to 1 for the compressed pulse of 62.16 fs. $K$ is increased with increase of $\log(\eta)$ and several points are neglected if $K < -7$. For the 1 ps pulse, $K$ is close to 0 when the value of $g_{12}^{(1)}$ is small. Therefore, the self-similar pulse compression can greatly suppress the random noise and improve the coherence of the SC.

![Fig. 11. The weighted degree of coherence (a) $R$ and (b) $K$ calculated in the whole spectra versus random noise level $\log(\eta)$ for the SC generated with the 1 ps pulse (blue dashed star lines) and 62.16 fs pulse (red solid circle line).](image)

VI. CONCLUSION

In summary, a TTPCF with increasing nonlinearity and comparatively unchanged dispersion is designed to achieve the self-similar pulse compression of the fundamental soliton. When the variation of $\beta(z)$, HOD, HON, and $\delta_0$ are considered, simulation results show that a 1 ps pulse at wavelength 2.5 $\mu$m can be self-similarly compressed to 62.16 fs, along with negligible pedestal. The corresponding $F_i$ and $Q_i$ are 16.09 and 83.16%, respectively. Then, another uniform tellurite PCF is designed for the SC generation. We launch the 1 ps pulse and compressed 62.16 fs pulse into the uniform tellurite PCF, respectively, it is found that the coherence of the SC generated with the compressed pulse is enhanced significantly compared to that generated with the 1 ps pulse, and highly coherent and octave-spanning SC can be obtained. It is believed that the proposed scheme provides a promising solution to realize the fiber-based mid-infrared femtosecond pulse source by using picosecond input pulse.

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