Estimation of Effective Lens Position Using a Method Independent of Preoperative Keratometry Readings

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Abstract: Purpose
To evaluate the validity of a keratometry-independent method of estimating effective lens position (ELP) prior to phacoemulsification cataract surgery.

Setting
Institute of Eye Surgery, Whitfield Clinic, Waterford, Ireland

Methods
The anterior chamber diameter (AGm) and corneal height (Hm) in 95 eyes (95 patients) scheduled for cataract surgery were measured with a rotating Scheimpflug camera. Hm and AGm were used to estimate the ELP in a keratometry-independent method (using the SRK/T [ELPrs] and Holladay 1 [ELPrh] formulae).

Results
The mean (± SD) ELP was calculated using traditional (mean ELPs ± SD: 5.59 ± 0.52 mm and mean ELPh ± SD: 5.63 ± 0.42 mm) and keratometry-independent (mean ELPrs ± SD: 5.55 ± 0.42 mm and mean ELPrh ± SD: 5.60 ± 0.36 mm) methods. Agreement between ELPs and ELPrs and between ELPh and ELPrh were represented by Bland Altman plots, with mean differences (± 1.96 SD; range; student's t-test) of 0.06 mm (± 0.65 mm; -0.59 to +0.71 mm; p = 0.08) in association with ELPrs and -0.04 mm (± 0.39 mm; -0.43 to +0.35 mm; p = 0.08) in association with ELPrh. The mean absolute error (MAE) for ELPs versus ELPrs estimation and for ELPh versus ELPrh estimation were 0.242 ± 0.222 mm (range: 0.001 to 1.272mm) and 0.152 ± 0.137 mm (range: 0.001 to 0.814 mm), respectively.

Conclusion
This novel study confirms that this keratometry-independent ELP estimation method is comparable to traditional keratometry-dependent methods and may be useful in post-refractive surgery patients.
Estimation of effective lens position using a method independent of preoperative keratometry readings

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Running title

Utilising Scheimpflug imaging to estimate effective lens position in a keratometry-independent fashion.

Presentations

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Declaration

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Keywords

Effective lens position; Scheimpflug Pentacam; Holladay; SRK/T; phacoemulsification cataract surgery.
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The anterior chamber diameter (AG\textsubscript{m}) and corneal height (H\textsubscript{m}) in 95 eyes (95 patients) scheduled for cataract surgery were measured with a rotating Scheimpflug camera. H\textsubscript{m} and AG\textsubscript{m} were used to estimate the ELP in a keratometry-independent method (using the SRK/T [ELP\textsubscript{rs}] and Holladay 1 [ELP\textsubscript{rh}] formulae).

Results

The mean (± SD) ELP was calculated using traditional (mean ELP\textsubscript{s} ± SD: 5.59 ± 0.52 mm and mean ELP\textsubscript{h} ± SD: 5.63 ± 0.42 mm) and keratometry-independent (mean ELP\textsubscript{rs} ± SD: 5.55 ± 0.42 mm and mean ELP\textsubscript{rh} ± SD: 5.60 ± 0.36 mm) methods. Agreement between ELP\textsubscript{s} and ELP\textsubscript{rs} and between ELP\textsubscript{h} and ELP\textsubscript{rh} were represented by Bland Altman plots, with mean differences (± 1.96 SD; range; student’s t-test) of 0.06 mm (± 0.65 mm; -0.59 to +0.71 mm; p = 0.08) in association with ELP\textsubscript{rs} and -0.04 mm (± 0.39 mm; -0.43 to +0.35 mm; p = 0.08) in association with ELP\textsubscript{rh}. The mean absolute error (MAE) for ELP\textsubscript{s} versus ELP\textsubscript{rs} estimation and for ELP\textsubscript{h} versus
ELP_{th} estimation were 0.242 ± 0.222 mm (range: 0.001 to 1.272mm) and 0.152 ± 0.137 mm (range: 0.001 to 0.814 mm), respectively.

**Conclusion**

This novel study confirms that this keratometry-independent ELP estimation method is comparable to traditional keratometry-dependent methods and may be useful in post-refractive surgery patients.
Introduction

As a result of improved predictability of refractive outcomes following cataract surgery, patients’ expectations are high, and attaining precise postoperative refraction within ± 0.50 D of target is a realistic goal of the conscientious cataract surgeon. The accuracy of predicting the necessary power for an intraocular lens (IOL) is dependent upon the accuracy of several preoperative measurements.¹ ² These include, depending upon the formula used, some or all of the following: central corneal refractive power (keratometry readings); axial length (biometry); horizontal corneal diameter (horizontal white-to-white); anterior chamber depth (ACD); lenticular thickness; preoperative refraction; and the age of the patient.¹⁻³

Definitions of ACD vary according to context and this should be acknowledged in any discussion of ACD. The clinical definition of ACD in the normal phakic eye is straightforward, and refers to the distance from the cornea to the anterior surface of the lens. Anatomically, ACD refers to the distance between the posterior surface of the cornea, but in an optical context (such as when discussing ACD in an IOL power formula) the distance is normally measured from the anterior surface of the cornea and includes the corneal thickness. This is justified, in part, by the position of the second principal plane of the cornea, which is close to the anterior surface (actually about 0.05 mm in front of the cornea).³

However, the end-point of the ACD distance is much more complex. Many formulae do not use the anterior surface of the IOL as the reference point, but rather the ‘effective lens position’ (ELP), defined as the effective distance from the anterior
surface of the cornea to the lens plane as if the lens was of infinite thinness. The ELP may be back-calculated as the effective ACD 'predicting' the actual postoperative refraction on a given dataset. Hence, the ELP is formula-dependent and need not reflect the true ACD in the anatomical sense. This is the case for an ACD defined by the manufacturer on an IOL container along with the A-constant. The ACD in this context is most often based on the Binkhorst formula and cannot be taken to reflect the true postoperative lens position of the pseudophakic eye. For the sake of clarity we will, henceforth, refer to the postoperative ACD as the postoperative IOL position.

Models based on statistically analysed relationships between some or all of the previously mentioned preoperative measurements of the eye and the postoperative IOL position have been used to predict the ELP in the preoperative setting. Thus, estimation of ELP remains an empirical component to all ocular biometric formulae predicting refractive outcomes following cataract surgery, and different models for doing this are important determinants of the accuracy of different formulae for predicting refractive outcomes following cataract surgery. The predictability of ELP has improved over recent years, attributable to enhancements in the formulae used and the accuracy of the preoperative measurements of ocular biometric variables.

In 1975, Fyodorov derived an equation, based on an individual eye’s keratometry and axial length, to estimate ELP. Indeed, it is well known that in eyes that have undergone corneal refractive surgery the pre-refractive surgery keratometry (pre-op Ks) may be unknown, rendering the predictability of the ELP problematic, thereby contributing to poor predictability of refractive outcomes following cataract surgery in such eyes.
Ho et al, in 2008, described a regression-analysis derived form of the Fyodorov equation\(^5\) to calculate a theoretical corneal radius (\(R_{rt}\)) which can be used to estimate the ELP, independently of preoperative keratometry readings.\(^6\)

The Pentacam\(^\circledast\) (Oculus Optikgeräte GmbH, Wetzlar, Germany) is a rotating Scheimpflug camera designed to image the anterior segment. It provides topographic maps of the anterior and posterior corneal surfaces, pachymetry maps, and biometric measurements of the anterior segment.\(^6\)-\(^8\)

In this way, the Pentacam-measured anterior chamber diameter (measured from anterior chamber angle to anterior chamber angle, \(AG_m\)) and corneal height (measured from the internal cornea to the line connecting the anterior chamber angles, \(H_m\)) can be used to calculate the theoretical corneal radius (\(R_{rt}\)).\(^6\) Ho et al reported that there was good agreement with this keratometry-independent ELP estimate when compared with traditional keratometry-dependent ELP estimation methods, using the Holladay 1 and SRK/T formulae.\(^6\) However, postoperative IOL position was not measured in the study by Ho et al, and therefore their conclusions were based solely upon estimation errors pre-cataract surgery.\(^6\)

The keratometry-independent ELP methods, described by Ho et al,\(^6\) could represent an important advance in cataract surgery for patients who have had previous corneal refractive surgery. We will henceforth refer to this method as the keratometry-independent ELP estimation. We performed a study to compare keratometry-dependent ELP estimation methods versus keratometry-independent ELP estimation methods.

**Methods**
We prospectively studied 95 cataractous eyes of 95 consecutive patients with no visually consequential ocular co-morbidity, all of whom underwent uneventful phacoemulsification cataract surgery between November 2008 and May 2009. Eyes with a history of trauma or ocular surgery were excluded. This study was approved by the South East Regional Ethics Committee, and the study protocol adhered to the tenets of the Declaration of Helsinki. Valid and informed consent was secured from each volunteer prior to enrolment. We certify that all applicable institutional and governmental regulations concerning the ethical use of human volunteers were followed during this research.

All patients underwent a complete ophthalmic examination including, automatic keratometry (IOLMaster® version 5 Carl Zeiss Ltd., Welwyn Garden City, UK), ocular biometry (IOLMaster® version 5 Carl Zeiss Ltd., Welwyn Garden City, UK), and a Pentacam scan.

In this study, the Pentacam system was set to acquire 25 images per scan at the automatic release mode (images captured automatically). To obtain the Pentacam-measured $H_m$, the Scheimpflug image in the horizontal meridian was displayed. The software (version 1.16) showed the locations of the anterior chamber angles. A line connecting the 2 points of the anterior chamber angles was drawn. Then, a line was drawn from the anterior corneal vertex, which intersected and was perpendicular to the line connecting the anterior chamber angles. The distance from the posterior corneal surface to the intersection point was termed $H_m$. The distance between the 2 anterior chamber angle points was termed $AG_m$ (the measured anterior chamber diameter from angle to angle, Figure 1).
The Appendix outlines the equations used by Ho et al to estimate ELP using 4 different methods (Equations 2 – 5). Equation 1 is a formula for calculating the theoretical corneal radius ($R_{rt}$), which is a substitute for keratometry in subsequent keratometry-independent formulae (Equations 3 and 5). Equation 2 describes a formula that estimates ELP$s$, which is the ELP estimate obtained when using the SRK/T formula with keratometry in the traditional fashion. Equation 3 describes a formula that estimates ELP$s$, which is the ELP estimate obtained when using the SRK/T formula with the $R_{rt}$ used instead of keratometry. Equation 4 describes a formula that estimates ELP$h$, which is the ELP estimate obtained when using the Holladay 1 formula with keratometry in the traditional fashion. Equation 5 describes a formula that estimates ELP$th$, which is the ELP estimate obtained when using the Holladay 1 formula with the $R_{rt}$ used instead of keratometry. The ELP was calculated for all study eyes, by the SRK/T and Holladay 1 formula using keratometry-dependent (Equations 2 and 4) and keratometry-independent ELP estimation methods (Equations 3 and 5), respectively.

Surgical procedures

In each study eye, surgical procedures were performed under topical anaesthesia (proxymetacaine hydrochloride 0.5%, Minims, Chauvin Pharmaceuticals, Surrey, UK). All operations were performed through a 2.75 mm superior clear corneal incision. A continuous curvilinear capsulorrhexsis was completed following viscoelastic injection (Healon®, Advanced Medical Optics Inc, Santa Ana, California, US), hydrodissection was performed using balanced salt solution (BSS, Alcon laboratories, Inc., UK). The irrigation solution contained 16% gentamicin sulphate (80mg Gentin® Roche, Welwyn Garden City, UK in 500ml BSS PLUS® surgical
solution, Alcon laboratories, Inc., UK). After removal of the nucleus using torsional phaco-technology (Infiniti®, Alcon laboratories, Inc., UK), irrigation and aspiration of soft lens matter was performed; then a foldable, posterior chamber intraocular lens (Tecnis® ZA9003, Advanced Medical Optics Inc, Santa Ana, California, US; A-Constant 119.1; ACD_{const} 5.6; Surgeon Factor 1.85) was implanted in the capsular bag with an introducer (AMO EmeraldT Series Unfolder and Cartridge®, Advanced Medical Optics Inc, Santa Ana, California, US). Stromal hydration was then performed to achieve wound integrity; a 10/0 Nylon suture was occasionally placed in the corneal wound when wound integrity was deemed inadequate by the surgeon. Intracameral cefuroxime (1mg ZinacefTM, GlaxoSmithKline, UK, in 0.1ml of sterile water for injection, B. Braun Medical Inc., PA, US) was administered via the paracentesis. Then a single drop of 1% apraclonidine (Iopidine® 1%, Alcon laboratories, Inc., UK) and an aliquot of 1% fucidic acid ointment (Fucithalmic® Leo Pharmaceutics, Ontario, Canada) was administered to the corneal surface.

**Postoperative examination**

The patient was examined two weeks postoperatively, and in cases where a corneal suture was *in-situ*, it was removed at this visit. The patient was then re-examined six weeks postoperatively, when postoperative IOL position was calculated, using the inbuilt calipers on the Pentacam screen (Figure 1); this was done because of the possible failure of the Pentacam to automatically identify the anterior surface of the IOL.

**Statistical analysis**

Data were analysed by an Aabel software package (version 3.0.3, GigaWiz
Ltd. Co., Tulsa, OK, USA). Agreement between the respective keratometry-dependent and keratometry independent methods of ELP estimation is represented by Bland-Altman plots, and expressed in terms of mean bias ± 1.96 standard deviations (SD). Correlations were calculated using Pearson’s correlation coefficient (r) and a p-value < 0.05 was taken as statistically significant; the $r^2$ value is also documented for completeness.

We calculated the differences (arithmetic and absolute) between the ELP estimates using traditional keratometry-dependent and their respective and novel keratometry-independent estimation methods. This yielded the mean arithmetic estimation error (ME) and mean absolute estimation error (MAE). When using the SRK/T formula to calculate the $\text{ELP}_s$ and the $\text{ELP}_{rs}$, the $\text{ME}_s = \text{mean } \text{ELP}_{rs} - \text{mean } \text{ELP}_s$ and the $\text{MAE}_s = \text{mean absolute } \text{ELP}_{rs} - \text{mean absolute } \text{ELP}_s$. When using the Holladay 1 formula to calculate the $\text{ELP}_h$ and the $\text{ELP}_{rh}$, the $\text{ME}_h = \text{mean } \text{ELP}_{rh} - \text{mean } \text{ELP}_h$ and the $\text{MAE}_h = \text{mean absolute } \text{ELP}_{rh} - \text{mean absolute } \text{ELP}_h$.

**Results**

The biometric data in 95 unoperated eyes (Table 1) were used to estimate the ELP using keratometry-dependent ($\text{ELP}_s$ and $\text{ELP}_h$) and keratometry-independent methods ($\text{ELP}_{rs}$ and $\text{ELP}_{rh}$). In our study, the mean $\text{ELP}_s$ ($\pm$ SD) calculated using preoperative keratometry values in the SRK/T formula (Equation 2) was $5.59 \pm 0.52$ mm, and was significantly and positively correlated with keratometry-independent
ELP_{rs} (5.55 ± 0.42 mm) \( (r = 0.781, r^2 = 66.1\%, P < 0.001, \text{Figure 2}) \), when the \( R_{nt} \) values were used in the SRK/T formula (Equation 3). Agreement between ELP_s and ELP_{rs} is represented by the Bland Altman plot in Figure 3, with a mean difference (± 1.96 SD; range) of 0.06 (± 0.65; -0.59 to +0.71) mm in association with ELP_{rs}. The ME_s for ELP_s estimation versus ELP_{rs} estimation was 0.061 ± 0.241 mm (range: -0.589 to 1.272 mm) and the MAE_s for ELP_s estimation versus ELP_{rs} estimation was 0.242 ± 0.222 mm (range: 0.001 to 1.272 mm). Agreement between postoperative IOL position and ELP_{rs} is represented by the Bland Altman plot in Figure 4, with a mean difference (± 1.96 SD; range) of 1.22 (± 0.82; +0.40 to +2.04) mm in association with ELP_{rs}.

The mean \( ELP_h \) (± SD) calculated using preoperative keratometry readings in the Holladay 1 formula (Equation 4) was 5.63 ± 0.42 mm, and was significantly and positively correlated with keratometry-independent \( ELP_{rh} \) (5.60 ± 0.36 mm) \( (r = 0.874, r^2 = 76.4\%, P < 0.001, \text{Figure 5}) \), when the preoperative \( R_{nt} \) values were used in the Holladay 1 formula (Equation 5). Agreement between \( ELP_h \) and \( ELP_{rh} \) is represented by the Bland Altman plot in Figure 6, with a mean difference (± 1.96 SD; range) of -0.04 (± 0.39; -0.43 to +0.35) mm in association with \( ELP_{rh} \). The mean arithmetic estimation error \( (ME_h = \text{mean } ELP_{rh} - \text{mean } ELP_h) \) was -0.037 ± 0.203 mm (range: -0.814 to 0.417 mm) and the mean absolute error \( (MAE_h = \text{mean absolute } ELP_{rh} - \text{mean absolute } ELP_h) \) was 0.152 ± 0.137 mm (range: 0.001 to 0.814 mm). Agreement between the postoperative IOL position and \( ELP_{rh} \) is represented by the Bland Altman plot in Figure 7, with a mean difference (± 1.96 SD; range) of 1.27 (± 0.73; +0.54 to +2.00) mm in association with \( ELP_{rh} \).

**Discussion**
The relationship between ELP calculated using keratometry-dependent and keratometry–independent methods is positive and significant, and agreement between the two techniques is good, and we could expect clinically comparable refractive outcomes following cataract surgery using keratometry–independent and keratometry–dependent methods of ELP estimation.

The ME$_s$ and ME$_h$ were slightly greater in our study (0.061 ± 0.241 mm and -0.037 ± 0.203 mm, respectively) than those reported by Ho et al (-0.011 ± 0.263 mm and -0.0004 ± 0.167 mm, respectively)\(^6\), but are broadly comparable to those reported in the former study, that generated equations 1, 3 and 5 by regression analysis from the data in their own study (thus explaining the better agreement that they report). It is interesting to note that, in our study, when the SRK/T formulae employs keratometry-independent methods to calculate the ELP (ELP$_s$), it exhibited a slight tendency towards overestimation (and consequential hyperopic shift) relative to keratometry-dependent ELP estimation methods (ELP$_s$), in contrast to slight underestimation in the Ho study\(^6\). However, ELP$_h$ yielded a slight underestimation (and consequential myopic shift) in both studies\(^6\). The mean absolute errors of ELP estimation reported in our study (ELP$_s$: 0.242 mm; ELP$_h$: 0.152 mm) are less than half the distance between a sulcus-positioned IOL and an IOL implanted in the capsular bag (approximately 0.75 mm)\(^10\) which results in a 1.05 D difference in the IOL plane,\(^10\) equivalent to 0.78 D in the spectacle plane.\(^10\) This is consistent with the findings of Olsen et al, who reported that a 0.1 mm difference in postoperative IOL position corresponded to a 0.14 D change in power in the IOL plane.\(^11\)
In our study, the approximate mean and maximum discrepancies in the IOL plane were 0.34 D and 1.78 D for ELP<sub>rs</sub> (mean discrepancy = MAE<sub>s</sub> x 1.4; maximum discrepancy = maximum absolute error of ELP<sub>s</sub> x 1.4). In terms of the discrepancy in the spectacle plane (discrepancy in IOL plane x 0.743),<sup>10</sup> this would be represented by estimated mean and maximum discrepancies of 0.25 D and 1.32 D, respectively. Similarly the approximate mean and maximum discrepancies in the IOL plane were 0.21 D and 1.14 D for ELP<sub>rh</sub> (mean discrepancy = MAE<sub>h</sub> x 1.4; maximum discrepancy = maximum absolute error of ELP<sub>h</sub> x 1.4)<sup>11</sup>. In terms of the discrepancy in the spectacle plane, this would be represented by estimated mean and maximum discrepancies of 0.16 D and 0.84 D, respectively.

With regard to the ELP<sub>rs</sub>, the calculated discrepancy in the spectacle plane between keratometry-dependent and keratometry-independent estimation methods was: < 0.5 D in 90.5% of cases; < 1.0 D in 97.9% of cases: < 2.0 D in 100% of cases.

With regard to the ELP<sub>rh</sub>, the calculated discrepancy in the spectacle plane between keratometry-dependent and keratometry-independent estimation methods was: < 0.5 D in 96.8% of cases; < 1.0 D in 100% of cases.

In our study, the mean postoperative manifest refraction spherical equivalent (MRSE) prediction error was 0.51 ± 0.45 D (range -1.95 to +1.16 D; where 66.3 % were < 0.5 D; 87.4 % were < 1.0 D; 100% were < 2.0 D). These results compare favourably with other studies looking at the mean postoperative MRSE prediction error following phacoemulsification cataract surgery, in which the mean postoperative MRSE prediction error is reported as follows: 45.5% to 92.0% of cases were < 0.5 D<sup>12-21</sup> and 41% to 100% of cases were < 1.0 D.<sup>12-21</sup> In our study, the calculated discrepancies in
the spectacle plane between keratometry-dependent and keratometry-independent estimation methods using either SRK/T or Holladay 1, are less than our mean postoperative MRSE prediction errors and also compare favourably with typically reported mean postoperative MRSE prediction errors in the literature. These calculated discrepancies also compare favourably with studies of patients undergoing phacoemulsification cataract surgery, who have previously undergone laser in-situ keratomileusis (LASIK), where it is reported that between 13% and 67% of patients had a reported mean postoperative MRSE within 0.5 D of target, that between 25% and 100% had a reported mean postoperative mean postoperative MRSE within 1.0 D of target, and that between 79% and 100% had a reported mean postoperative mean postoperative MRSE within 2.0 D of target.

Possible sources of the slightly differing results between our study and that of Ho et al, in terms of ELP, may result from differences in terms of age and axial length between the two sample populations. Our sample had a mean age (± SD) of 70.2 (± 10.7) years, over double that of Ho et al’s sample at 34.4 (± 16.1) years; given that ELP is positively correlated with age (ELP increases with age), this may account for the slight tendency towards overestimation with the SRK/T keratometry-independent ELP estimation method in our study, when compared with that of Ho et al. However, this relationship between ELP and age fails to explain the observed discrepancy between the slight underestimation seen when using the Holladay 1 keratometry-independent ELP estimation method in our study, when compared with that of Ho et al.

While our sample was less myopic, with a mean spherical equivalent of -0.89 (± 4.54) D, compared with that of Ho et al’s of -5.84 (± 3.92) D, and this is reflected
further in the differing axial lengths of the two studies [mean ± SD: current study: 23.88 (± 1.80) mm; Ho et al: 25.73 (± 1.59) mm], it has been shown that estimates of ELP are independent of preoperative refractive error, but correlate positively with axial length. In a study looking at the accuracy of prediction of refractive outcomes following cataract surgery using various formulae including SRK/T and Holladay 1, Narvaez et al found a similar trend (which did not reach statistical significance), reflected in varying refractive outcomes (range of MAE: 0.02 to 0.10 D) post-phacoemulsification cataract surgery between groups of eyes of differing axial lengths, and the observed discrepancy is similar in order of magnitude to the discrepancy between our study and that of Ho et al. In spite of the differences in population samples, however, it is noteworthy that the keratometry-independent ELP method appears to be relatively robust, with comparable estimation errors (MEs, MEh, MAEs and MAEh) in both studies.

We compared this novel method of keratometry-independent ELP estimation with the existing keratometry-dependent ELP methods, but also with the anatomic postoperative IOL position, and this relationship has never been previously investigated for the SRK/T and Holladay 1 formulae. We found that the ELP was significantly greater than the anatomic postoperative IOL position by a mean difference of 1.27 mm (p < 0.001; student’s paired t-test). This is in agreement with the theoretical model proposed by Holladay et al. It is worth noting that, despite this discrepancy, the ELP (ELPrs and ELPrh) was significantly and positively correlated with the postoperative IOL position. Jin et al, in a study designed to predict postoperative IOL position using formulae different to those in our study (Haigis algorithm; r = 0.6; and Olsen 2 algorithm r = 0.46), report similar levels of correlation to those seen in our study (postoperative IOL position versus ELPrs: r =
0.43 and postoperative IOL position versus ELP<sub>n</sub>: r = 0.48). Although this correlation reached significance (p < 0.01 for both methods in our study), the observed correlations between postoperative IOL position and ELP are simply not strong enough in themselves for reliable prediction of postoperative IOL position.<sup>27</sup>

Refractive laser surgery alters corneal thickness and keratometry, but does not alter ACD or corneal height measured form the endothelial surface (H<sub>m</sub>).<sup>28</sup> It follows, therefore, that a method of ELP estimation, where the required biometric parameters are unchanged by refractive laser surgery, such as the keratometry-independent ELP estimation method described here, would be extremely useful in post-refractive patients contemplating cataract surgery.

As there were only 11 post-refractive surgery patients undergoing cataract surgery in Ho et al’s paper,<sup>6</sup> our results would support the view that this novel keratometry-independent ELP estimation method appears to have the validity to warrant formal testing, in the form of a concordance study with existing keratometry-dependent methods<sup>6</sup> <sup>29</sup>, in the context of a large cohort of patients scheduled for cataract surgery, but who have undergone prior refractive laser surgery.
References:


Titles and legends to figures

Figure 1. Scheimpflug image from the Pentacam, showing the distance from the posterior corneal surface of the vertex to the line connecting the anterior chamber angles was termed $H_m$. The distance between the 2 anterior chamber angle points was termed $AG_m$.

Figure 2. Scattergram of the effective lens position (ELP) estimate obtained when using the SRK/T formula in a keratometry-dependent method ($ELP_s$) versus the ELP estimate obtained when using the SRK/T formula with the theoretical corneal radius ($R_{ct}$) in a keratometry-independent method ($ELP_{rs}$). Line of agreement is shown ($y = 1x + 0$).

Figure 3. Bland Altman plot of the difference between the effective lens position (ELP) estimate obtained when using the SRK/T formula in a keratometry-dependent method ($ELP_s$) and the ELP estimate obtained when using the SRK/T formula with the theoretical corneal radius ($R_{ct}$) in a keratometry-independent method ($ELP_{rs}$). Line of mean difference (dotted line) and limits of ±1.96 standard deviations (unbroken line) are shown.

Figure 4 Bland Altman plot of the difference between the post-op intraocular lens (IOL) position and the effective lens position estimate obtained when using the SRK/T formula with the theoretical corneal radius ($R_{ct}$) used instead of keratometry ($ELP_{rs}$). Line of mean difference (dotted line) and limits of ±1.96 standard deviations (unbroken line) are shown.

Figure 5 Scattergram of the effective lens position (ELP) estimate obtained when using the Holladay 1 formula in a keratometry-dependent method ($ELP_h$) versus
the ELP estimate obtained when using the Holladay 1 formula with the theoretical corneal radius ($R_c$) in a keratometry-independent method ($ELP_{th}$). Line of agreement is shown ($y = 1x + 0$).

Figure 6  Bland Altman plot of the difference between the effective lens position estimate obtained when using the Holladay 1 formula with keratometry in the traditional fashion ($ELP_h$) and the effective lens position estimate obtained when using the Holladay 1 formula with the theoretical corneal radius ($R_c$) used instead of keratometry ($ELP_{th}$). Line of mean difference (dotted line) and limits of ±1.96 standard deviations (unbroken line) are shown.

Figure 7  Bland Altman plot of the difference between the post-op intraocular lens (IOL) position and the effective lens position estimate obtained when using the Holladay 1 formula with the theoretical corneal radius ($R_c$) used instead of keratometry ($ELP_{th}$). Line of mean difference (dotted line) and limits of ±1.96 standard deviations (unbroken line) are shown.
Effective lens position estimation utilising a keratometry-independent method, compares favourably with existing methods, and could potentially be utilised in post-refractive surgery intraocular lens calculation.
Figure 2

ELPs versus ELPs

Line: $y = x + 0$
Figure 6
Click here to download high resolution image
Table 1. Characteristics of the 95 virgin eyes used to develop formulas to derive the effective lens position, (ELP) using keratometry-dependent and keratometry-independent methods. Mean values, standard deviations (SD) and ranges are shown.

\( AG_m \) = Pentacam-measured anterior chamber diameter from angle to angle; \( H_m \) = Pentacam-measured corneal height; mm = millimeters.

<table>
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<tr>
<th>Characteristic</th>
<th>Mean ± SD</th>
<th>Range</th>
</tr>
</thead>
<tbody>
<tr>
<td>Age (years)</td>
<td>70.2 ± 10.7</td>
<td>38 to 88</td>
</tr>
<tr>
<td>Spherical equivalent (Dioptries)</td>
<td>−0.89 ± 4.54</td>
<td>−20.38 to +7.63</td>
</tr>
<tr>
<td>Anterior corneal radius (mm)</td>
<td>7.79 ± 0.30</td>
<td>7.25 to 8.25</td>
</tr>
<tr>
<td>Axial length (mm)</td>
<td>23.88 ± 1.80</td>
<td>20.66 to 30.50</td>
</tr>
<tr>
<td>( H_m ) (mm)</td>
<td>3.49 ± 0.37</td>
<td>2.34 to 4.41</td>
</tr>
<tr>
<td>( AG_m ) (mm)</td>
<td>11.74 ± 0.74</td>
<td>9.51 to 13.71</td>
</tr>
</tbody>
</table>
Appendix

Click here to download Supplementary Material: Appendix ELP July 7th 1.doc
To: Emanuel S. Rosen, FRCSE
    Nick Mamalis, MD

Editors: JCRS

Dr. Ian Dooley
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Ireland.
086 8555993
iandooley@eustace.net

July 7, 2010

Dear Sirs,

I would appreciate your opinion regarding my original article, entitled:

“Estimation of effective lens position using a method independent of preoperative keratometry readings.” I would be most grateful, if you would please consider this work for publication in the highly esteemed Journal of Cataract and Refractive Surgery.

Sincerely,

Dr. Ian Dooley MRCOphth